BLG453E COMPUTER VISION Fall 2021 Term Week 4-5							
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Impulse Noise

- Impulse noise may corrupt any signal including digital images just due to occasional inversion of a single bit representing the intensity value in some pixel
- The general model of impulse noise is

$$g(x,y) = \begin{cases} p_n, \eta(x,y) \\ 1 - p_n, f(x,y) \end{cases}$$

where p_{n} is the probability of distortion (p_{n} in percents $p_{n}\cdot 100\%$ is called the corruption rate)

 η A certain intensity value to replace the image intensity f(x,y)

























Convolution vs Correlation ?

Correlation

$$w(x,y) \circ f(x,y) = \sum_{s=-a}^{a} \sum_{t=-b}^{b} w(s,t) f(x+s,y+t)$$

Convolution

$$w(x,y) \otimes f(x,y) = \sum_{s=-a}^{a} \sum_{t=-b}^{b} w(s,t) f(x-s,y-t)$$

Correlation yields a copy of the function, but rotated by 180° .

Q: When are the two equivalent?

A: When we have symmetric filters

Spatial Correlation And Convolut	
(a) $\begin{array}{cccccccccccccccccccccccccccccccccccc$	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
(b) 0 0 0 1 0 0 0 0 1 2 3 2 8 ↓ Starting position alignment	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
(c) $\begin{bmatrix} & & \\ 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} & & \\ 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & \\ 0 & 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} & & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & & \\ 0 & 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} & & & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & & & \\ 0 & 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} & & & & & \\ 0 & 0 \end{bmatrix} \begin{bmatrix} & & & & & \\ 0 & 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} & & & & & & \\ 0 & 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} & & & & & & \\ 0 & 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} & & & & & & & \\ 0 & 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} & & $	0 0 0 0 0 0 1 0 0 0 0 0 0 0 0 (k) 8 2 3 2 1
(d) 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 0 0 0 0	0 0 0 0 0 0 1 0 1 0 0 0 0 0 0 0 0 0 0 0
(e) 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 0 0 0 0	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
(f) 0 0 0 0 0 0 0 1 0 0 0 0 0 0 0 0 0 0 0	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
Full correlation result (g) 0 0 8 2 3 2 1 0 0 0	Full convolution result 0 0 1 2 3 2 8 0 0 0 (o)
Cropped correlation result (h) 0 8 2 3 2 1 0 0 FIGURE 3.29 Illustration of 1-D correlation and convo exprediction and convolution are functions of displayers	Cropped convolution result 0 1 2 3 2 8 0 0 (p)
correlation and convolution are functions of aspiacen	Digital Image Processing: Gonzalez and Woods Book: Filtering Chapter



THQ: You are given 3 filter kernels below: for which one the correlation result is equal to the convolution result?								
$\left[\begin{array}{rrrrr} 1 & 2 & 3 \\ 1 & 2 & 3 \\ 1 & 2 & 3 \end{array}\right]_{(A)}$	$\begin{bmatrix} -1 & 5 & 7 \\ 3 & 4 & -2 \\ 0 & 2 & 5 \end{bmatrix}_{(B)} \begin{bmatrix} 0 & 1 & 0 \\ 1 & 2 & 1 \\ 0 & 1 & 0 \end{bmatrix}_{(C)}$							























































Image Filtering and Enhancement: Clipping

Note: Always check the range of the resulting, i.e. the filtered or the enhanced, image intensity:

$$I_{filtered}(x,y) = \begin{cases} 0 & if \quad I_{filtered}(x,y) < 0\\ 255 & if \quad I_{filtered}(x,y) > 255\\ I_{filtered}(x,y) & otherwise \end{cases}$$





Enhanced contrast in dark and light areas brings out significant surface detail throughout the image.

http://www.microimages.com/documentation/TechGuides/56lace10n.pdf















A slight further generalization of unsharp masking is called *high-boost filtering*

$$g(x,y) = A f(x,y) - f_{smooth}(x,y)$$

where A≥1.

0	-1	0	-1	-1	-1
-1	<i>A</i> + 4	-1	-1	A + 8	-1
0	-1	0	-1	-1	-1

a b FIGURE 3.42 The high-boost filtering technique can be implemented with either one of these masks, with $A \ge 1$.









- Binary Morphology: assumes objects are represented in images using only two "color" values, say black and white.
- The coordinates of the black (or white) pixels form a complete description of the objects in the image.
- Objects form the Sets in images
- Another branch of morphology: Grayscale morphological operations











Dilation and erosion are duals of each other with respect to set complementation and reflection. That is,

 $(A \oplus B)^c = A^c \oplus \hat{B}.$

Dilation, in general, causes objects to dilate or grow in size;

Erosion causes objects to shrink.

The amount and the way that they grow or shrink depend upon the choice of the structuring element.

Note: Duality is proved in Section 9.2.3, Gonzalez and Woods book



























The important things to note are that

- morphological operations preserve the main geometric structures of the object.
- Only features `smaller than' the structuring element are affected by transformations.
- All other features at `larger scales' are not degraded.

Note: These are not valid with linear transformations, such as given by convolution.



Next Generation Filters: Learnable

Idea: Let the algorithm learn the filters through Artificial Neural Networks, lately known as Deep Learning

Not covered in our class, where you are learning hand-crafted filters, and feature engineering, which is important to know before you work with Learning in (Visual) Data Processing/Science

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